FAME: Fast Attribute-based Message Encryption

Shashank Agrawal



Melissa Chase

Research

Attribute-based Encryption

- Applications in a variety of settings:
 - network privacy [BBSBS09], pay-per-view broadcasting [TBEM08], health-record access control [APGLPR11, CDEN12], cloud security [SRGS12, verifiable computation [PRV12], forward-secure messaging [GM15], easy-to-use secure email [RAHZS16], ...

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- Not a surprise: Fine-grained control

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- Central issues:
 - Strong security guarantee
 - Fast operations
 - Desirable features

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- Improve upon popular and state-of-the-art schemes in several ways

Time to Upgrade!

- Ciphertext-policy ABE
 - Bethencourt, Sahai, and Waters, IEEE S&P, 2007
 - Our scheme: more secure, faster, lighter



ABE, formally

Attribute: property

Attribute: property

Policy: Boolean expression on attributes

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Zipcode:90240

AgeGroup:Over65

City:MountainView

Attribute: property

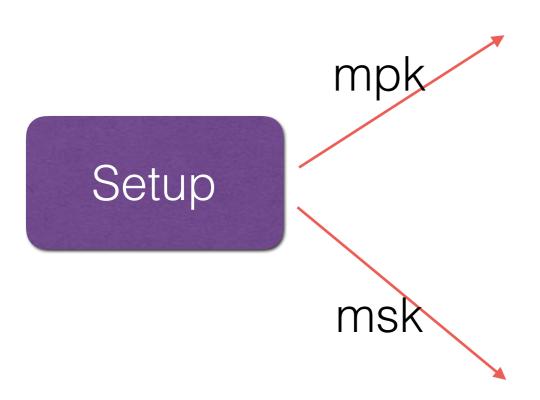
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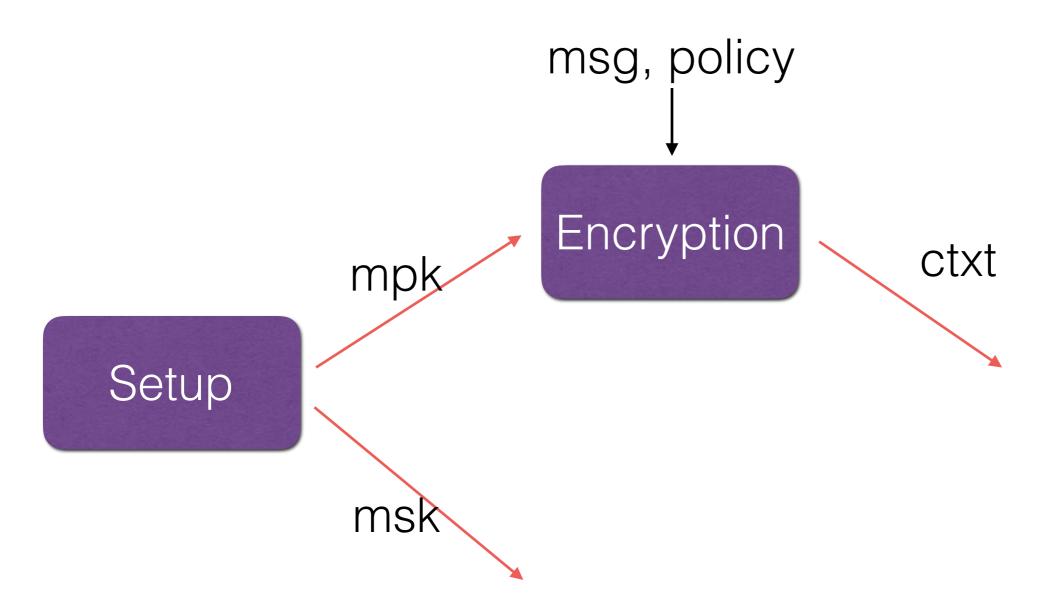
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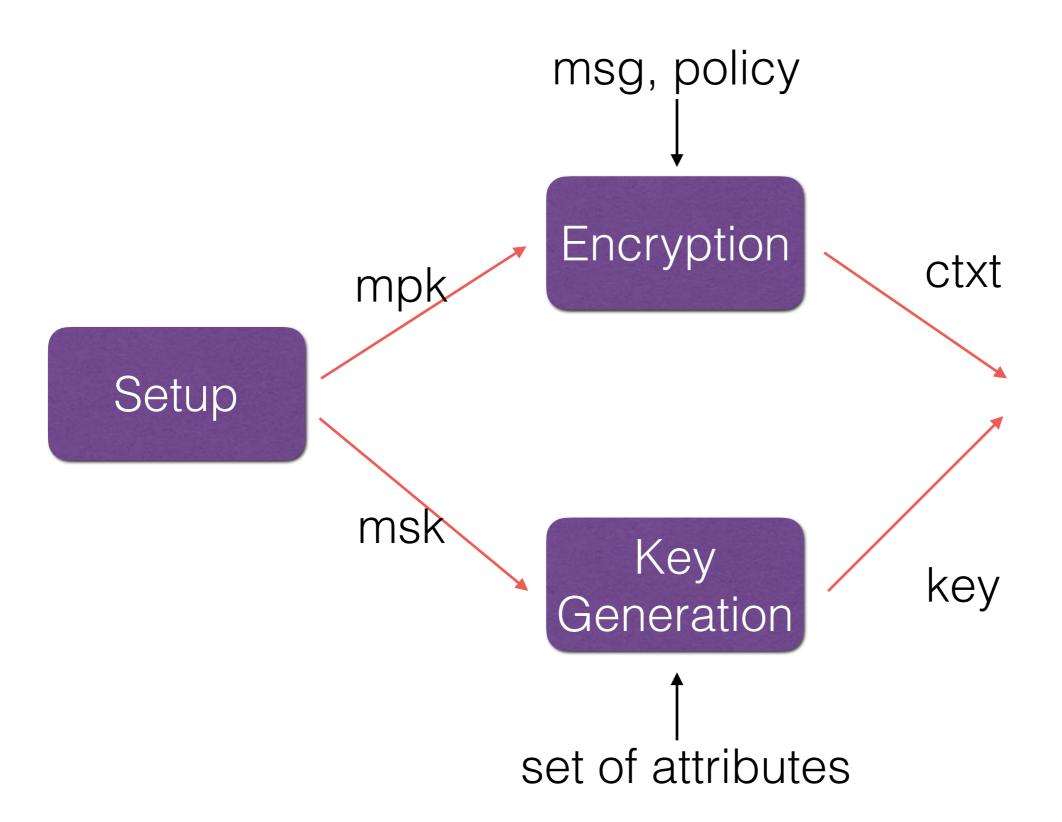
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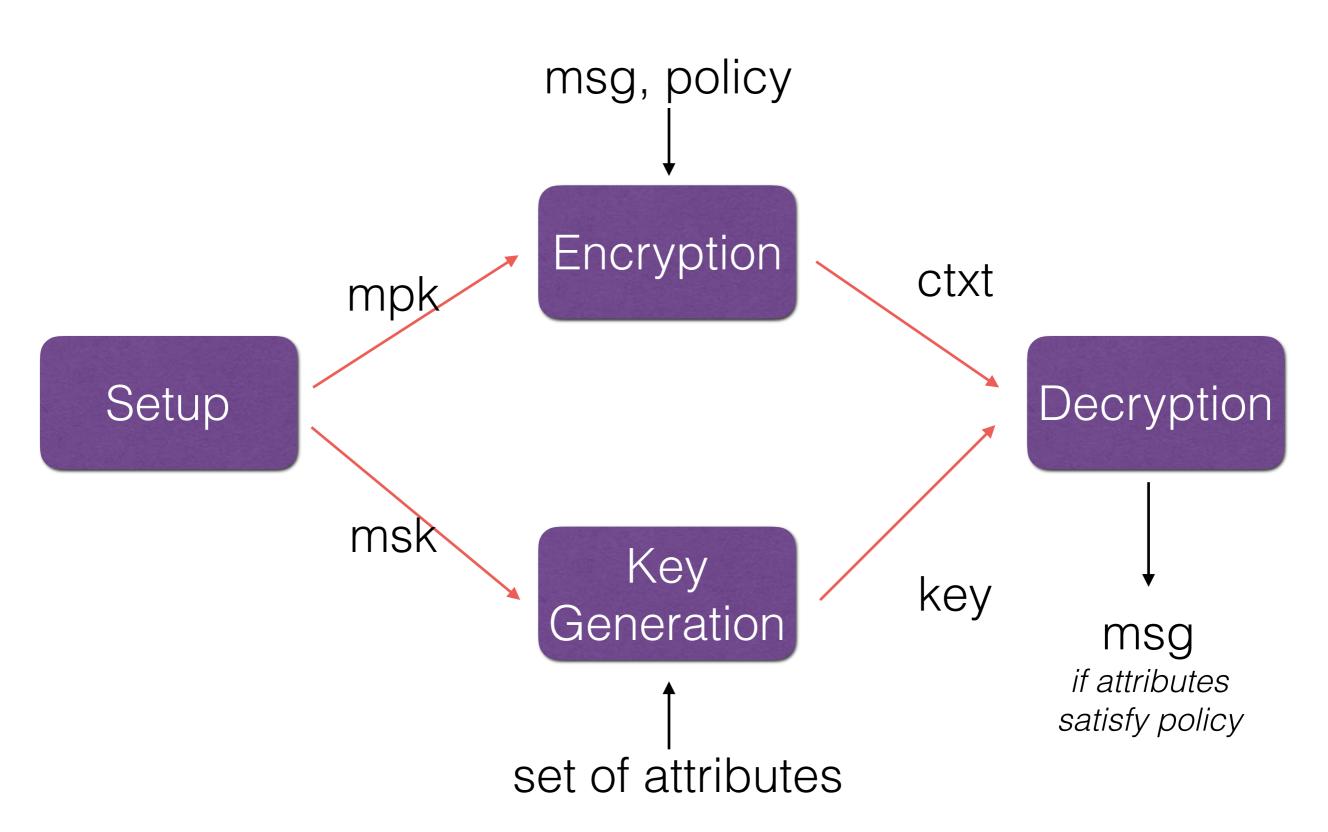
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(Zipcode:90240 OR City:BeverlyHills) AND (AgeGroup:18-25)









Properties, we desire

 As institutions grow, more and more complex roles, entities, policies, procedures, etc.

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- Our schemes: No restriction on size of attributes sets & policies

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 - Prime-order asymmetric (Type-III)

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- Our work: 6 pairing operations

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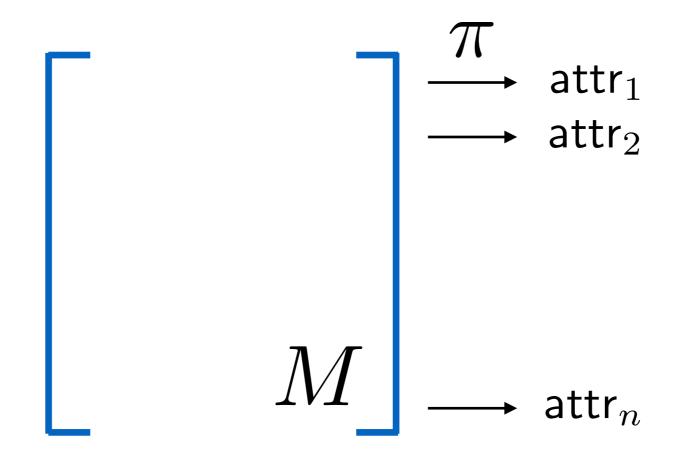
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- Hardness assumption
 - Decisional linear (DLIN) vs q-type

Designing, our schemes

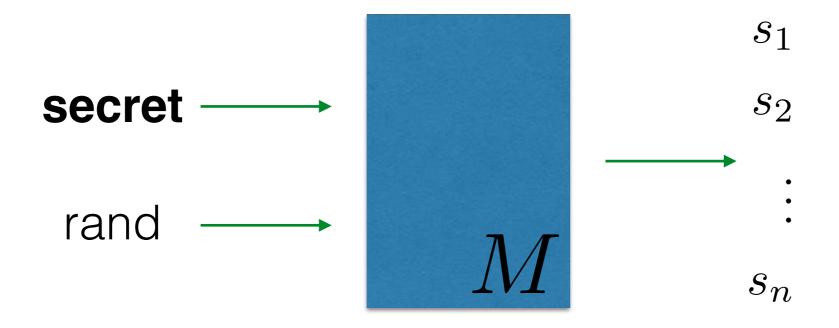
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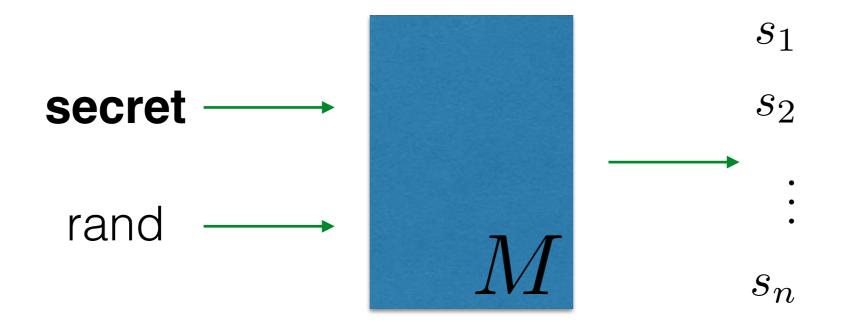
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Monotone Span Programs



Monotone Span Programs



set of attributes $S = \{ \mathsf{attr}_1, \mathsf{attr}_5 \}$ satisfies (M, π)

$$\frac{\text{linearly combine}}{s_1, s_5} \rightarrow \mathbf{secret}$$

set of attributes

```
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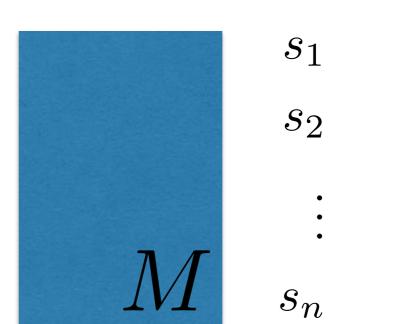
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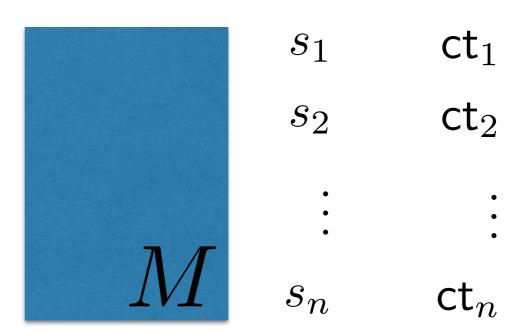


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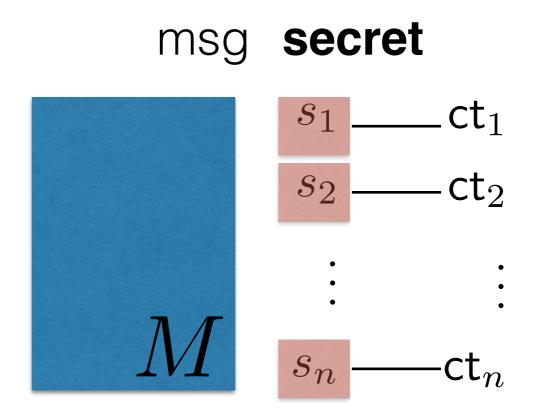
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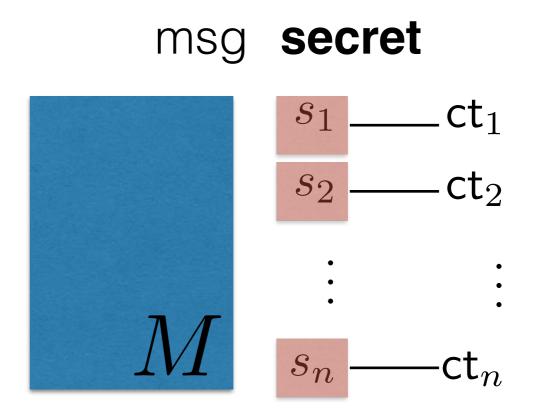
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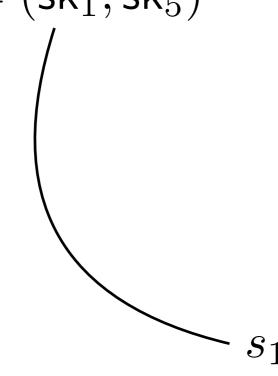
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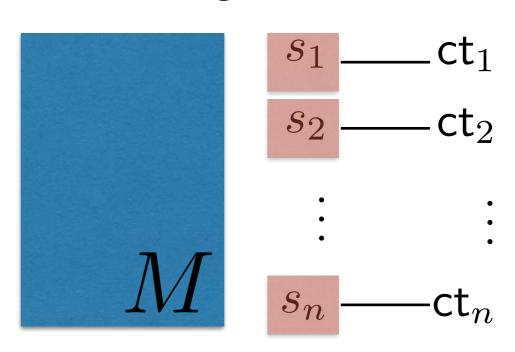
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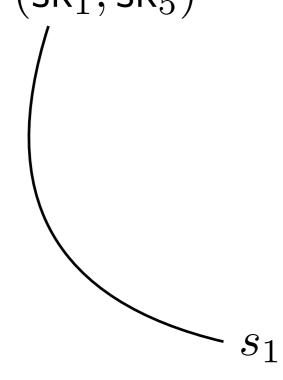
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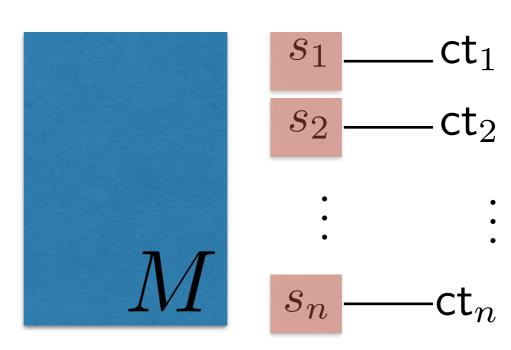
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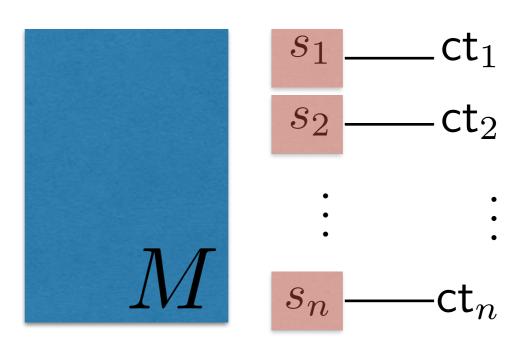


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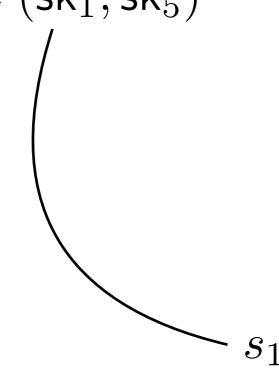


Masking values?

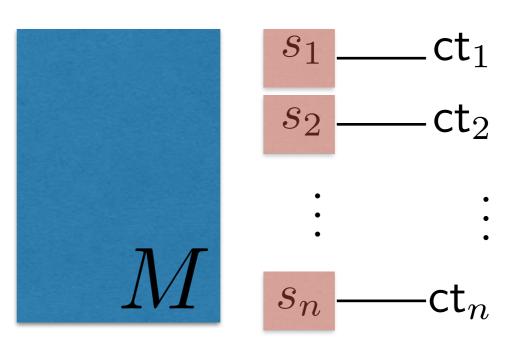
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Public key

 Secure under k-linear assumption; Quite fast: Type-III pairings

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- Secure under k-linear assumption; Quite fast: Type-III pairings
- Small universe; Restrictions on policies
- Overcome problems without compromising performance
 - Perform better on most metrics

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Generators
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Basis:
$$([A]_1, [b^{\perp}]_1)$$
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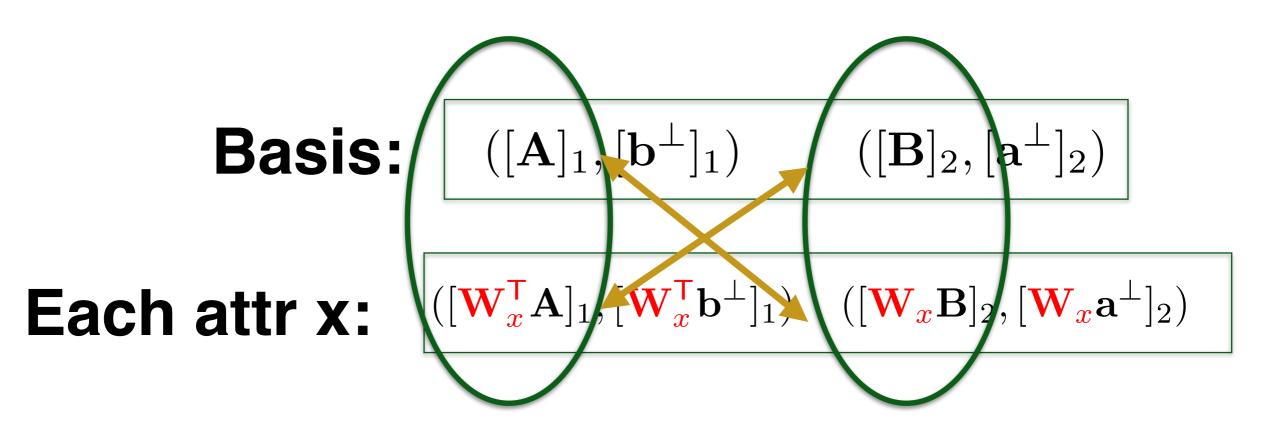
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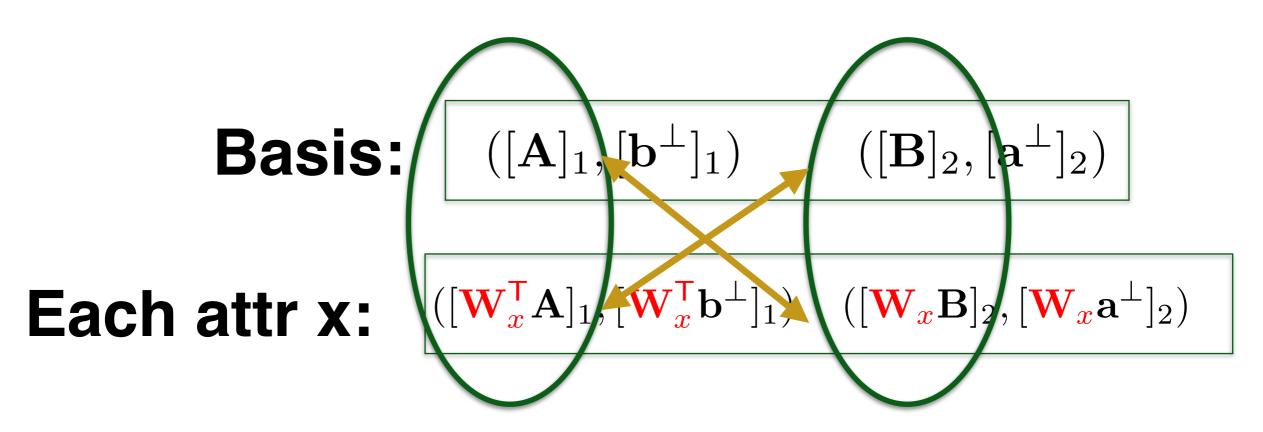
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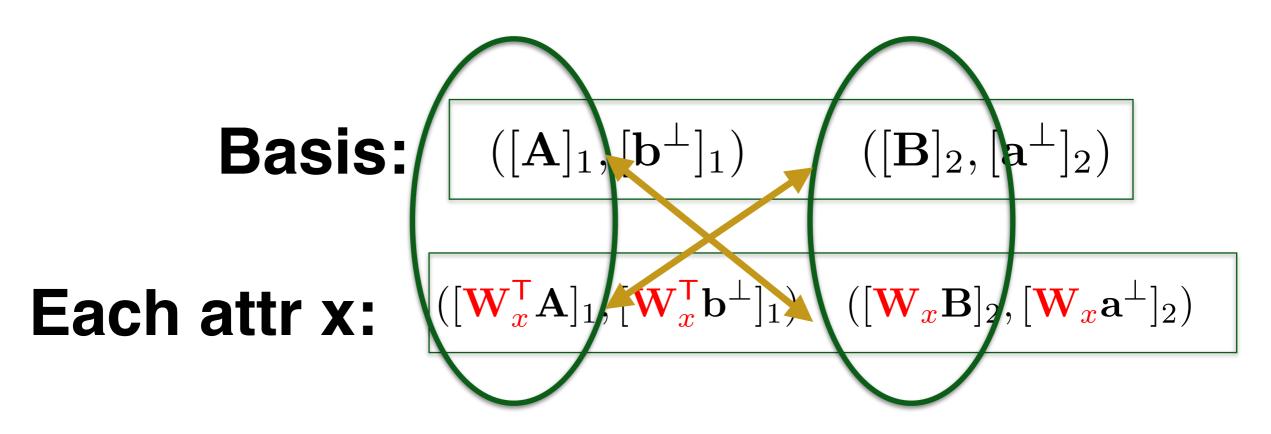
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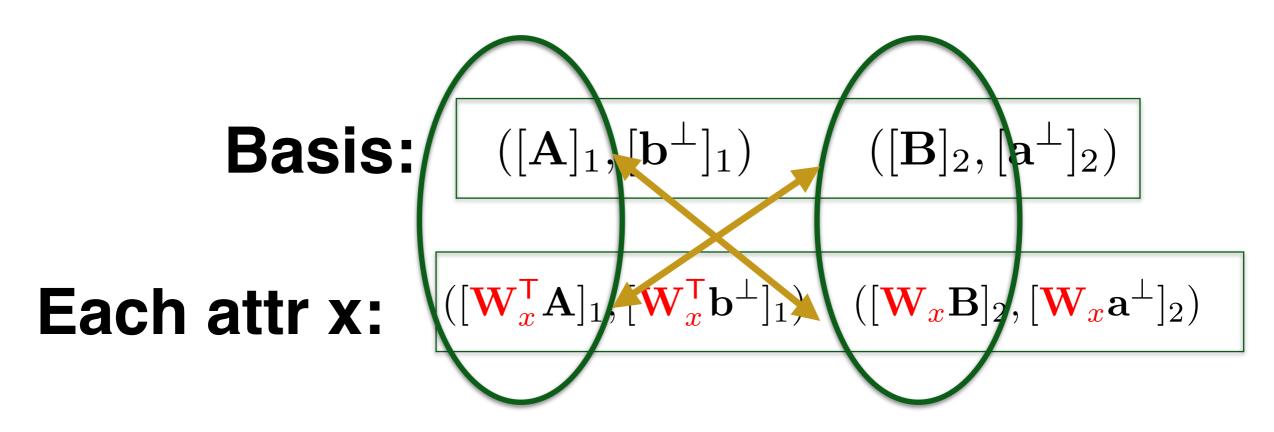


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Problems:

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- Use ${\bf H}$ to generate $[{\bf W}_x^{\sf T}{\bf A}]_1$ How to generate $[{\bf W}_x{\bf B}]_2$ without explicit knowledge of ${\bf W}_x$

 g^{t_x} in ciphertexts

 g^{1/t_x} in keys

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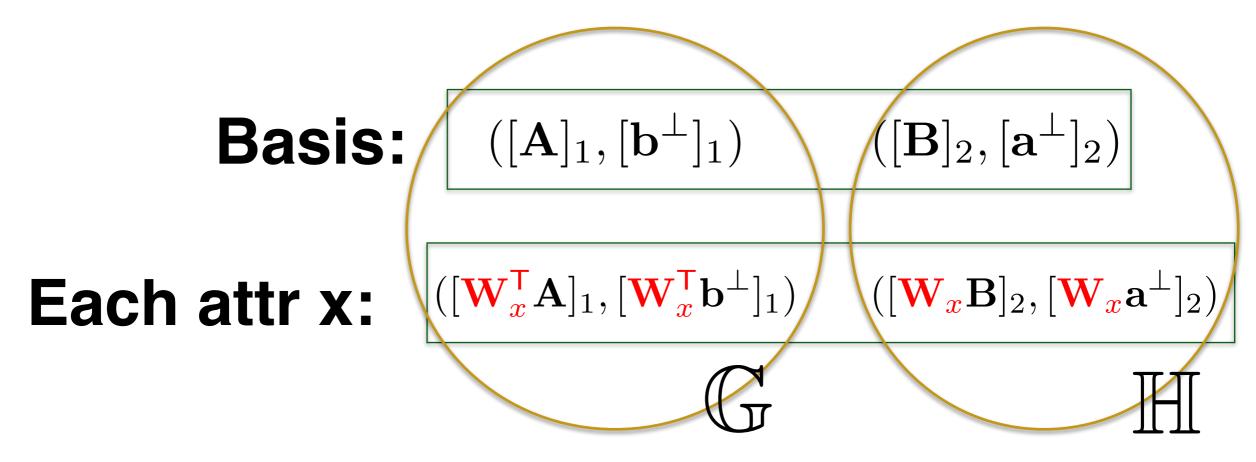
 g^{t_x} derived directly from \mathbf{H} so that t_x is not available

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Different approach: generate keys with $[\mathbf{W}_x^\mathsf{T} \mathbf{A}]_1$, \mathbf{B}

Keys have different structure vs CGW

Performance Benefit

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Almost all of ciphertext and key in G

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- Ciphertexts and keys:
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- Decryption only 6 pairing operations
 - ullet Many exponentiations, but all in ${\mathbb G}$
 - Lewko Waters' conversion

Implement, and evaluate

Implementation

Python 2.7.10 using Charm 0.43 [AGMPRGR13]

Implementation

- Python 2.7.10 using Charm 0.43 [AGMPRGR13]
- MNT224 curve for pairings

Implementation

- Python 2.7.10 using Charm 0.43 [AGMPRGR13]
- MNT224 curve for pairings
- Macbook Pro laptop
 - 2.7 GHz Intel Core i5, 8GB RAM

Group Operations

(in milliseconds)

Groups	Multiplication	Exponentiation	Hash
G	.009	1.266	.099
H	.065	14.412	76.767
\mathbb{G}_T	.020	3.356	

Pairing 10.243

Access Policies

 $\mathsf{attr}_1 \; \mathsf{AND} \; \mathsf{attr}_2 \; \mathsf{AND} \; \ldots \; \mathsf{AND} \; \mathsf{attr}_n \; [\mathsf{GHW11}]$

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 $10, 20, \dots, 100$

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 $10, 20, \ldots, 100$

Policies => Monotone Span Program [LW11]

Matrix has 0, 1, -1 entries

Reconstruction coefficients 0 or 1

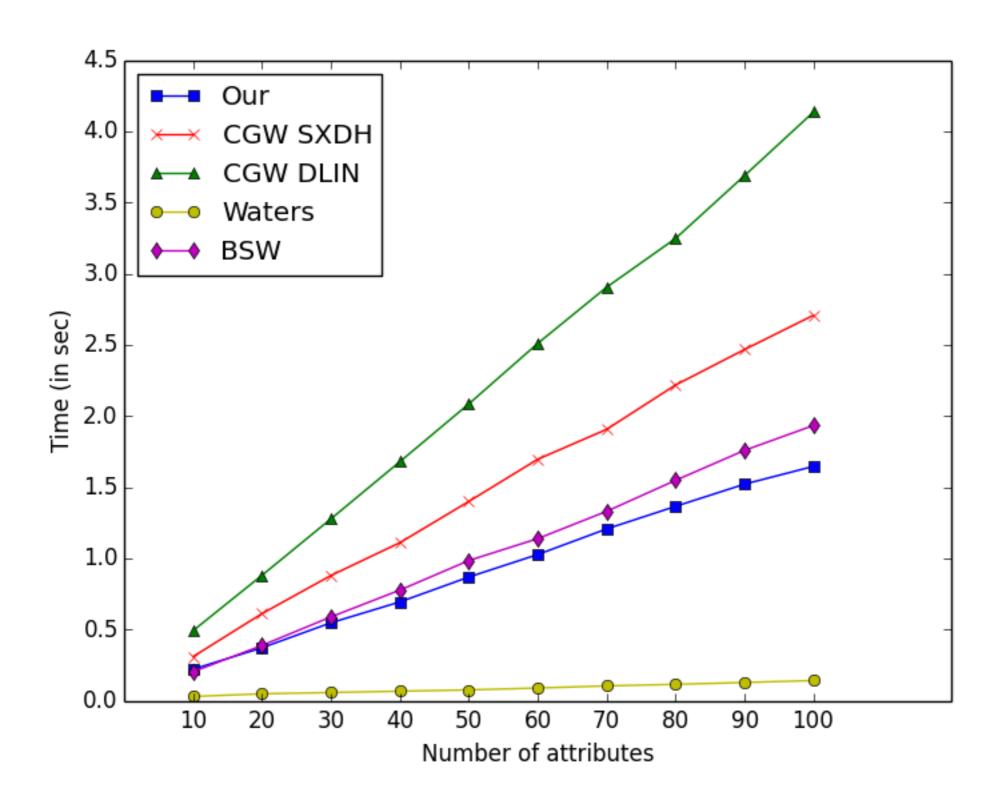
Ciphertext-Policy ABE

- Bethencourt, Sahai, and Waters (BSW) [SP'07]
- Waters [PKC'11]
- Chen, Gay, and Wee (CGW) [EC'15]
 - 1-linear (SXDH)
 - 2-linear (DLIN)

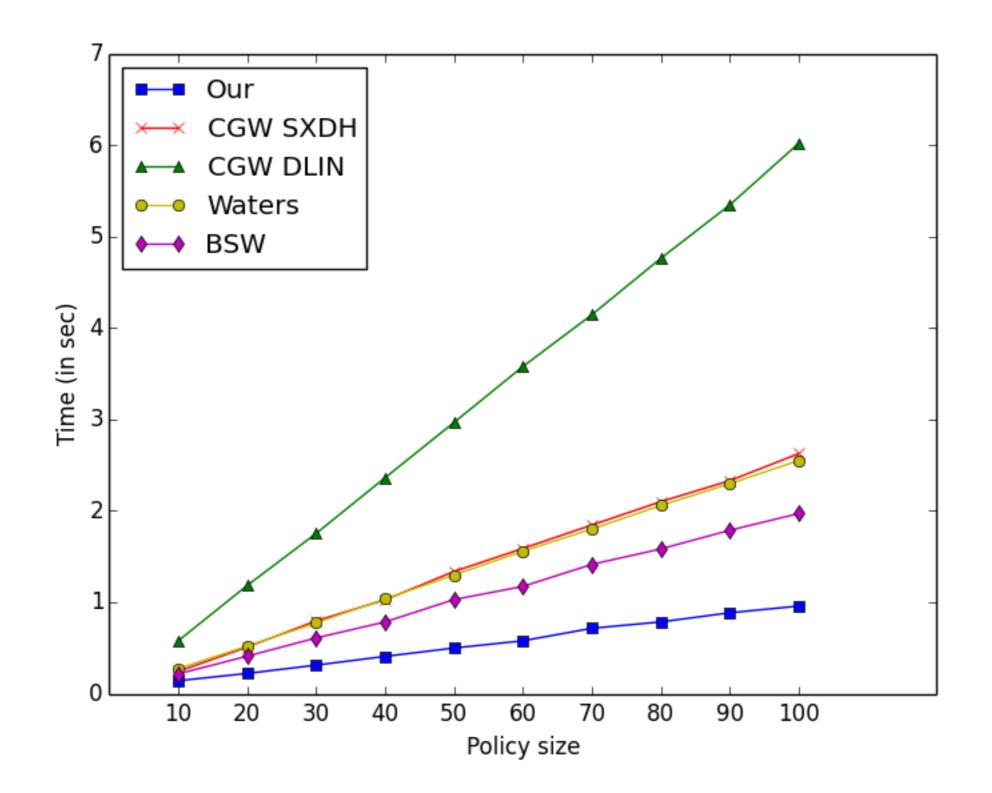
Set-up Time

Scheme	Uni size	Time
Our	1	0.11s
CGW-1	100	2.23s
CGW-2	100	5.13s
Waters	100	0.64s
BSW	-	0.08s

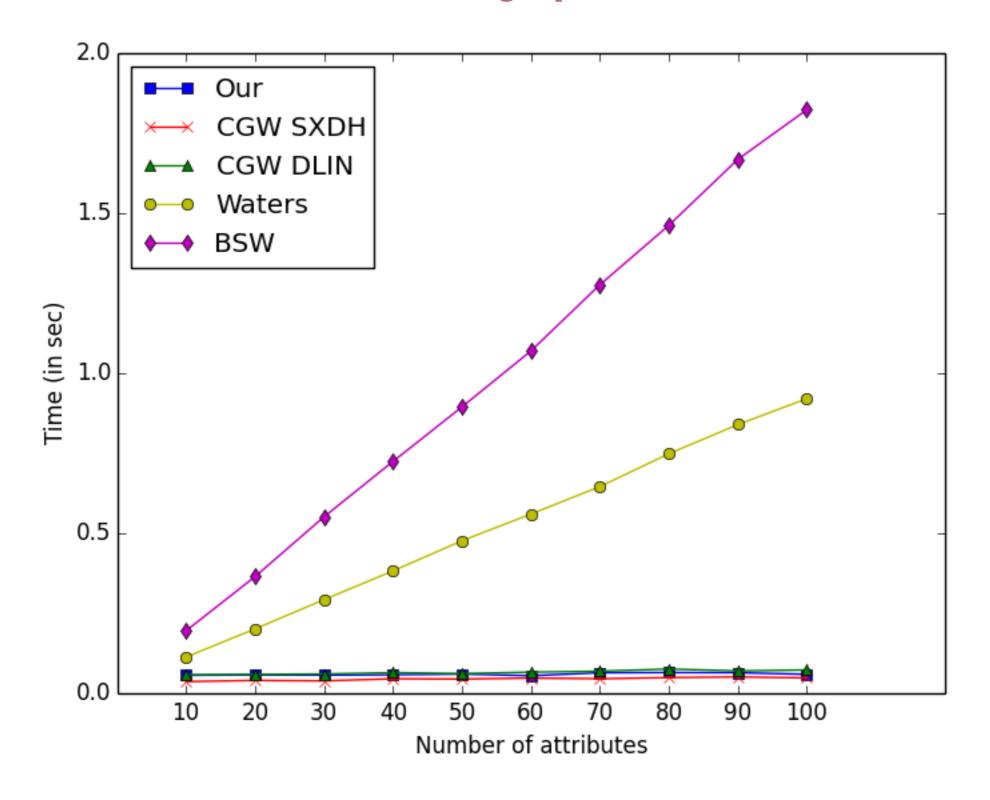
Key Generation



Encryption



Decryption



Conclusion

• Fast ABE schemes - good security, desirable features

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- Fast ABE schemes good security, desirable features
- Clean way to handle negations, multi-use of attributes

Conclusion

- Fast ABE schemes good security, desirable features
- Clean way to handle negations, multi-use of attributes
- Optimize implementations
 - C/C++ vs Python
 - Charm's features
 - Different curve like BN

Thanks, to you

Paper: https://eprint.iacr.org/2017/807

Code: https://github.com/sagrawal87/ABE